# Networks: spike-triggered synaptic transmission, events, and artificial spiking cells

- 1. Define the types of cells
- 2. Create each cell in the network
- 3. Connect the cells

# Communication between cells

Gap junctions Synaptic transmission graded spike-triggered

# Graded synaptic transmission

Physical system:

A presynaptic variable governs continuous transmitter release

Transmitter modulates a postsynaptic property



Problem: how does postsynaptic cell know V<sub>pre</sub>?

```
Graded synaptic transmission continued
Link postsynaptic variable to the presynaptic variable
  with a POINTER
NMODL specification of synaptic mechanism:
   NEURON {
     POINT PROCESS Syn
     POINTER vpre
   }
hoc usage
   objref syn
   dend syn = new Syn(0.5)
   setpointer syn.vpre, precell.axon.v(1)
Python usage
   syn = h.Syn(dend(0.5))
   syn._ref_vpre = precell.axon(1)._ref_v
```

# Spike-triggered synaptic transmission

Physical system: Presynaptic neuron with axon that projects to synapse on target cell Conceptual model: Spike in presynaptic terminal triggers transmitter release; presynaptic details unimportant Postsynaptic effect described by DE or kinetic scheme that is perturbed by occurrence of a presynaptic spike

# Spike-triggered transmission: computational implementation



More efficient: "virtual spike propagation"



# The NetCon class

Python usage

```
nc = h.NetCon(source, target)
nc = h.NetCon(source_ref_v, target
    [, threshold, delay, weight],
    sec = section)
```

Defaults

nc.threshold = 10 nc.delay = 1 # must be >= 0 nc.weight[0] = 0 # weight is an array

NMODL specification of synaptic mechanism
NET\_RECEIVE(weight(microsiemens)) {

#### Efficient divergence Path 0 Path 1 Multiple NetCons with a common source share a single threshold detector Spike Spike Postsynaptic region 0 Delay 0 g<sub>s</sub> initiation detector zone Postsynaptic region 1 $g_{s}$ Delay 1



```
Example: g<sub>s</sub> with fast rise
and exponential decay
```

```
NEURON {
  POINT_PROCESS ExpSyn
  RANGE tau, e, i
  NONSPECIFIC_CURRENT i
}
  . . . declarations . . .
INITIAL { g = 0 }
BREAKPOINT {
  SOLVE state METHOD cnexp
  i = q^{*}(v-e)
}
DERIVATIVE state { g' = -g/tau }
NET_RECEIVE(w (uS)) { g = g + w }
```

# g<sub>s</sub> with fast rise and exponential decay *continued*



#### Example: use-dependent synaptic plasticity



# Use-dependent synaptic plasticity continued

```
BREAKPOINT {
                                                 GSyn[0].g
  SOLVE state METHOD cnexp
                                   0.003
μS
  q = B - A
  i = g^*(v-e)
                                   0.002
}
DERIVATIVE state {
                                   0.001
  A' = -A/tau1
  B' = -B/tau2
                                      0
                                           20
                                                 40
                                                      60
                                                            80
                                                                 100
}
NET_RECEIVE(weight (uS), w, G1, G2, t0 (ms)) {
  INITIAL {w=0 G1=0 G2=0 t0=t}
  G1 = G1^* exp(-(t-t0)/Gtau1)
  G2 = G2^* \exp(-(t-t0)/Gtau2)
  G1 = G1 + Ginc*Gfactor
  G2 = G2 + Ginc*Gfactor
  t \Theta = t
  w = weight^{(1 + G2 - G1)}
  g = g + w
  A = A + w^*factor
  B = B + w^* factor
}
```

# Artificial spiking cells

"Integrate and fire" cells

Prerequisite: all state variables must be analytically computable from a new initial condition Orders of magnitude faster than numerical integration Event-driven simulation run time is *proportional* to # of received events *independent* of # of cells, # of connections, and problem time

Hybrid networks

### Example: leaky integrate and fire model



### Leaky integrate and fire model continued

```
NEURON {
  ARTIFICIAL_CELL IntFire
  RANGE tau, m
}
 . . . declarations . . .
INITIAL { m = 0 t0 = t }
NET_RECEIVE (w) {
  m = m^* \exp(-(t-t0)/tau)
  t\Theta = t
  m = m + w
  if (m > 1) {
    net_event(t)
    m = \Theta
  }
}
```

#### IntFire1

| IntFire1[0]     |
|-----------------|
| tau (ms) 🚺 10 🗲 |
| refrac (ms) 🗾 5 |
| m 0             |
|                 |
|                 |



#### 



#### IntFire2

#### IntFire4





# Defining the types of cells

#### Artificial spiking cells

ARTIFICIAL\_CELL with a NET\_RECEIVE block that calls net\_event

NetStim, IntFire1, IntFire2, IntFire4

#### **Biophysical model cells**

"Real" model cells

Sections and density mechanisms

Synapses are POINT\_PROCESSes that affect membrane current and have a NET\_RECEIVE block, e.g. ExpSyn, Exp2Syn

# Defining types of biophysical model cells

Encapsulate in a class

Export hoc class definition from CellBuilder or Network Builder or

write your own in Python.

```
class Cell:
  def __init__(self)
    # specify geom, topol, biophys
    soma = h.Section(name='soma')
    self.soma = soma
    ... etc. ...
cells[]
N = 1000
for i in range(N):
  cell = Cell() # h.Cell() if Cell is defined in hoc
  cells.append(cell)
```

# Homework

Create a 1 section model cell called 'soma' with surface area 100 um2 nseg 1 pas channels with e -65 mV and g 5e-5 S/cm2 (membrane time constant 20 ms)

Attach an ExpSyn with tau 3 ms, e 0 mV to soma(0.5).

Drive the ExpSyn with events from a NetStim with interval 10 ms number 1 start 5 ms noise 0

Set the NetCon's delay to 1 ms.

# Homework *continued*

Run a simulation for 100 ms. How big must the NetCon's weight[0] be to elicit a 1 mV EPSP at soma(0.5)? (2 significant figures)

Now uninsert pas and insert hh. What is the minimum positive weight[0] that triggers a spike?

Extra credit:

Using the model with hh, adjust weight[0] to a value that elicits a 1 mV EPSP.

Next change the NetStim's interval to 1 ms, number 1e9, and noise to 1. Run 100 simulations that include 1000 ms of synaptic input and record the number of spikes per run. Generate a histogram of number of spikes per run (binwidth = 1).